Estimating the gender penalty in House of Representative elections using a regression discontinuity design

Anastasopoulos, Lefteris

April 2016

Online at https://mpra.ub.uni-muenchen.de/71297/
MPRA Paper No. 71297, posted 15 May 2016 07:42 UTC
Estimating the gender penalty in House of Representative elections using a regression discontinuity design

Lefteris Anastasopoulos

UC Berkeley School of Information, 102 S. Hall Road, Berkeley, CA 94704, USA

ARTICLE INFO

Article history:
Received 12 September 2015
Received in revised form 9 November 2015
Accepted 21 April 2016
Available online xxx

ABSTRACT

While the number of female candidates running for office in U.S. House of Representative elections has increased considerably since the 1980s, women continue to account for about only 20% of House members. Whether this gap in female representation can be explained by a gender penalty female candidates face as the result of discrimination on the part of voters or campaign donors remains uncertain. In this paper, I estimate the gender penalty in U.S. House of Representative general elections using a regression discontinuity design (RDD). Using this RDD, I am able to assess whether chance nomination of female candidates to run in the general election affected the amount of campaign funds raised, general election vote share and probability of victory in House elections between 1982 and 2012. I find no evidence of a gender penalty using these measures. These results suggest that the deficit of female representation in the House is more likely the result of barriers to entering politics as opposed to overt gender discrimination by voters and campaign donors.

© 2016 Elsevier Ltd. All rights reserved.

1. Introduction

After a more than three-fold increase in the number of women in the U.S. House of Representatives since the 100th Congress (1987–89), women continue to account for under 20% of House members. Moreover, there are signs that growth in the number of female representatives is slowing. As the number of women nominated by the major parties since the 1980’s surged (Dolan, 2008), the number of females holding office increased from 30 in 1992, referred to as the “Year of the Woman” (Carpini and Fuchs, 1993; Dolan, 1998), to 62 in 2002. Yet the following ten year period saw an increase of only 14 females.

This paper brings a regression discontinuity design to bear on the question of whether the limited growth of female election to the House of Representatives can be explained by a gender penalty faced by female candidates. While over two decades of observational research has attempted to estimate the effects of chance selection of female candidates on general election outcomes (Dolan, 2008; Milyo and Schosberg, 2000; Darcy et al., 1985; Kahn, 1992; McDermott, 1997; Herrnson et al., 2003) and campaign contributions (Burrell, 1985; Uhlmaner and Schlozman, 1986; Dabelko and Herrnson, 1997; Crespin and Deitz, 2010), this paper is the first to provide causal estimates of the effects of chance selection of female candidates to general election ballots (see Fig. 1).

Many studies have cast doubt on the role of that gender bias plays in limiting the number of female representatives. Using a series of experiments, Brooks (2013) calls the gender penalty into question and finds little evidence that gender stereotypes harm female candidates. In most observational studies exploring the effects of candidate gender on election outcomes and campaign contributions, female candidates raise as much money and win general elections at the same rate as male candidates (Burrell, 1985; Seltzer et al., 1997; Uhlmaner and Schlozman, 1986). As Sanbonmatsu (2002) describes, scholars have thus emphasized factors leading to candidate selection and nomination rather than voter dispositions toward female candidates. One limiting factor is the relatively large share of female incumbents (Burrell, 1994). Another is the relatively small number of women in professions that often serve as a springboard to running for local office (Thomas, 1994). Sanbonmatsu (2002) suggests that party recruitment practices and relevant beliefs about women’s likelihood of electoral success held by party and interest group leaders helps explain patterns of female participation in electoral politics.

Recent innovative research revives the debate over whether voters’ gender bias limits female office-seeking (Fulton, 2012). Theoretically, as Fulton points out, it is hard to square null findings from vote-share models with survey evidence that many voters...
hold uncongenial stereotypes about female candidates (Kahn, 1996; Sanbonmatsu and Dolan 2009). Empirically, Fulton takes the critical step of introducing a measure of candidate quality into models of vote share, thus addressing a potential source of omitted variable bias that emerges if the pool of female candidates is on average more electable than the pool of male candidates. Given that women may face a more trying route to the nomination (Lawless and Pearson, 2008; Anzia and Berry, 2011), it is sensible to expect such bias and indeed Fulton shows that once candidate quality is controlled for using her measure, a three percentage point gender bias emerges. Without this control, no female disadvantage is statistically apparent.

Research exploring female candidates’ ability to raise campaign funds have arrived at a number of different conclusions. Uhlaner and Schlozman (1986) find that women tend to raise less money than men on average. Burrell (1985), Dabelko and Hall, 1986) provides a graphical overview of the RDD used for this (1). In more recent research, Caughey and Sekhon (2011) and Crespin and Deitz (2010) demonstrate the hazards that omitted variable bias that emerges if the pool of female candidates is on average may face a more trying route to the nomination (Lawless and Pearson, 2008; Anzia and Berry, 2011) cast doubt on studies relying on RDDs which use close general House elections, recent empirical evidence demonstrates that the same pathologies do not necessarily apply to close House primaries (Eggers et al., 2014; Hall, 2015).


![Fig. 1. Proportion of female candidates running in House of Representative general elections, 1980–2012.](image)

2. Estimating the gender penalty in House of Representative elections

A cursory examination of differences between Congressional districts in which female candidates competed for House seats reveals that voters in these districts tended to be younger, more educated, wealthier and more Democratic. Due to a variety of demographic and political factors which contribute to the ability of women to run in House general elections, identifying the effect of candidate gender on election outcomes is a difficult task.

A correctly specified regression discontinuity design (RDD), however, can potentially eliminate these sources of bias. Regression discontinuity designs can provide valid causal estimates with comparatively weak assumptions (Hahn et al., 2001; Lee and Lemen, 2010; Thistlethwaite and Campbell, 1960). In more recent research, Lee (2008) argues that producing valid causal estimates using RDDs requires only the assumption that agents are unable to manipulate their value of the forcing variable around the cutpoint.

Lee (2008) pioneered the use of vote share as a forcing variable for the purpose of estimating incumbency advantage in House of Representative elections. His work was followed by an explosion of similar political science research. Eggers and Hainmueller (2009) used candidate vote share from members of the Labour and Tory party to estimate the effect of holding office on monetary gain in the UK. In the American context, Gerber and Hopkins (2011) used mayoral vote share to estimate the effect of mayoral partisanship on policy outcomes and more recently Broockman (2014) used party vote share in male-female state legislator elections to estimate the effect of candidate gender on female political participation. While Caughey and Sekhon (2011) cast doubt on studies relying on RDDs which use close general House elections, recent empirical evidence demonstrates that the same pathologies do not necessarily apply to close House primaries (Eggers et al., 2014; Hall, 2015).

2.1. Model and setup

The majority vote share requirement in 2-candidate, partisan House primaries presents an inherent RDD. If a candidate is challenged in their party’s primary, their ability to run in the general election becomes a deterministic function of their primary vote share. For two-candidate male/female primaries, the focus of this study, a female candidate will represent her party in the general election if she receives greater than 50% of the vote share.

\[
B_{ipt} = 1 \left[ \Pi_{ipt} - \Pi_{mt} > 0 \right]
\]

In Equation (1), \( \Pi_{ipt} \) represents primary vote share for the female candidate in two-candidate male/female primaries in district \( i \) for party \( p = [\text{Democratic, Republican}] \) in year \( t \) and \( \Pi_{mt} \) represents primary vote share for the male candidate in the same primary contest. A female represents her party in her district in the general election in year \( t \) when \( \Pi_{ipt} - \Pi_{mt} > 0 \). Alternatively, when \( \Pi_{ipt} - \Pi_{mt} < 0 \) in these primaries, the male candidate runs in the general election.

Fig. 2 provides a graphical overview of the RDD used for this analysis. On the x-axis, the running variable is House primary vote share for the female candidate (female candidate vote share minus male candidate vote share in House primaries) and general election outcomes used to measure voting behavior are on the y-axis. From the perspective of the potential outcomes framework (Rubin, 2005) the “treated” group are districts in which female candidates won their party’s primary and ran in the general election while the “control” group are districts in which a male candidate ran in the general election.

Formally, I estimate:

\[
\text{For summaries of papers employing regression discontinuity designs using vote share see Caughey and Sekhon (2011, 390–391).}
\]
Two-ﬁndings, and as seen in Table 1, where analysis. Counted as missing and that primary was not included in the cases included in the analyses below are those in which the vote totals. For competitive two-candidate elections, candidate gender was determined and verified independently by two coders using candidate ﬁrst name. When candidate gender was ambiguous, Google searches were conducted to learn more about the candidate. If a search revealed no further relevant information, they were counted as missing and that primary was not included in the analysis.

Outcome variables were collected from a variety of sources. Party vote share and votes cast were obtained from the CQ Elections and Voting Collection and information about campaign contributions and candidate ideology were obtained from the Database on Ideology, Money in Politics and Elections (Bonica, 2013). Two-candidate partisan primaries included in the analyses below are those in which only a female candidate ran against a male candidate. For primaries between 1982 and 2012, there were N = 429 such primaries.

Table 1 contains characteristics of male and female winners of close primaries. Female winners of close primaries in the sample are slightly more Republican on average, are more likely to win in the general election and have more contributions from PACs. None of these differences, however, are statistically significant.

3. Data

Data containing information about House primary elections between 1982 and 2012 were collected from two sources: (1) the CQ Elections and Voting Collection for primary election returns between 1994 and 2012 and; (2) primary election returns provided by David Brady of Stanford University for primaries between 1982 and 1992. Both data sets contain information about candidate name, state, district, primary year, primary vote share and primary vote totals. For competitive two-candidate elections, candidate gender was determined and verified independently by two coders using candidate ﬁrst name. When candidate gender was ambiguous, Google searches were conducted to learn more about the candidate. If a search revealed no further relevant information, they were counted as missing and that primary was not included in the analysis.

Outcome variables were collected from a variety of sources. Party vote share and votes cast were obtained from the CQ Elections and Voting Collection and information about campaign contributions and candidate ideology were obtained from the Database on Ideology, Money in Politics and Elections (Bonica, 2013). Two-candidate partisan primaries included in the analyses below are those in which only a female candidate ran against a male candidate. For primaries between 1982 and 2012, there were N = 429 such primaries.

Table 1 contains characteristics of male and female winners of close primaries. Female winners of close primaries in the sample are slightly more Republican on average, are more likely to win in the general election and have more contributions from PACs. None of these differences, however, are statistically significant.

4. Do female candidates face voter bias?

I first assess whether female candidates that win nomination to the general election over male candidates by chance face voter bias:

\[
V_{ipt} = \alpha + \beta_1 \left[ \Pi_{ipt} - \Pi_{ipt}^m > 0 \right] + f \left( \Pi_{ipt} - \Pi_{ipt}^m \right) + \eta_{ipt} \quad (3)
\]

In Equation (3) \( V_{ipt} \) represents two dependent variables: general election party vote share and general election victory. \( \left[ \Pi_{ipt} - \Pi_{ipt}^m > 0 \right] \) is a female candidate dummy variable equal to one if a female candidate won a male-female House primary and zero if the male candidate won. \( \beta_1 \) is an estimate of the local average treatment effect of chance female nomination on general election vote share and general election victory. \( f \left( \Pi_{ipt} - \Pi_{ipt}^m \right) \) is a function of the forcing variable, female primary vote margin, which takes the form of a non-parametric kernel or pth order polynomial. Triangular kernels are typically used as the default method of estimation in software programs because they are boundary optimal (Cheng et al., 1997; McCrary, 2008). I estimate \( \beta_1 \) for both dependent variables using a triangular kernel as seen in Fig. 3 and a second-order polynomial as shown in Fig. 4 and find no evidence that chance nomination of female candidates

---

Table 1

<table>
<thead>
<tr>
<th>Characteristics of male and female close primary winners (±5%)</th>
<th>Male winners</th>
<th>Female winners</th>
<th>N</th>
<th>T-test p-value</th>
</tr>
</thead>
<tbody>
<tr>
<td>% Democrats</td>
<td>53.33</td>
<td>42.11</td>
<td>49</td>
<td>0.45</td>
</tr>
<tr>
<td>% Republicans</td>
<td>46.67</td>
<td>57.89</td>
<td>49</td>
<td>0.45</td>
</tr>
<tr>
<td>Vote share (Gen. Elect)</td>
<td>39.10</td>
<td>40.64</td>
<td>49</td>
<td>0.70</td>
</tr>
<tr>
<td>P(Victory) (Gen. Elect)</td>
<td>0.10</td>
<td>0.21</td>
<td>49</td>
<td>0.29</td>
</tr>
<tr>
<td>Avg. contrib. ($)</td>
<td>572,255</td>
<td>551,129</td>
<td>49</td>
<td>0.96</td>
</tr>
<tr>
<td>Avg. PAC Contrib. ($)</td>
<td>72,545</td>
<td>120,499</td>
<td>49</td>
<td>0.28</td>
</tr>
<tr>
<td>Avg. indiv. contrib. ($)</td>
<td>202,850</td>
<td>376,021</td>
<td>49</td>
<td>0.37</td>
</tr>
<tr>
<td>Avg. CF-Score</td>
<td>0.008</td>
<td>-0.126</td>
<td>49</td>
<td>0.71</td>
</tr>
</tbody>
</table>

---

Fig. 2. Regression discontinuity design setup.

\[
\tau_{SRD} = \lim_{n \to 0} \frac{E \left[ V(1) \left| \Pi_{ipt} - \Pi_{ipt}^m = 0 \right. \right] - \lim_{n \to 0} E \left[ V(0) \left| \Pi_{ipt} - \Pi_{ipt}^m = 0 \right. \right]}{}
\]

where \( \tau_{SRD} \) represents the local average treatment effect of chance female nomination on a number of outcomes discussed below.

Fig. 3. General election vote share for male v. female winners of close primaries, N = 125. Dotted lines are 95% confidence bands.

4. Do female candidates face voter bias?

I first assess whether female candidates that win nomination to the general election over male candidates by chance face voter bias:

\[
V_{ipt} = \alpha + \beta_1 \left[ \Pi_{ipt} - \Pi_{ipt}^m > 0 \right] + f \left( \Pi_{ipt} - \Pi_{ipt}^m \right) + \eta_{ipt} \quad (3)
\]

In Equation (3) \( V_{ipt} \) represents two dependent variables: general election party vote share and general election victory. \( \left[ \Pi_{ipt} - \Pi_{ipt}^m > 0 \right] \) is a female candidate dummy variable equal to one if a female candidate won a male-female House primary and zero if the male candidate won. \( \beta_1 \) is an estimate of the local average treatment effect of chance female nomination on general election vote share and general election victory. \( f \left( \Pi_{ipt} - \Pi_{ipt}^m \right) \) is a function of the forcing variable, female primary vote margin, which takes the form of a non-parametric kernel or pth order polynomial. Triangular kernels are typically used as the default method of estimation in software programs because they are boundary optimal (Cheng et al., 1997; McCrary, 2008). I estimate \( \beta_1 \) for both dependent variables using a triangular kernel as seen in Fig. 3 and a second-order polynomial as shown in Fig. 4 and find no evidence that chance nomination of female candidates

---

Kernel regression estimates are performed using the \texttt{rd} and \texttt{rdrobust} packages in Stata. 4 Second-order polynomials are often used to measure treatment effects in regression discontinuity designs when the data are binned and are also useful for illustration purposes (Imbens and Lemieux, 2008). Research by Gelman and Imbens (2014) finds that higher-order polynomials (above 2) should not be used for estimating treatment effects in regression discontinuity designs because results tend to be very sensitive to choice of the polynomial order.
results in decreases in party vote share or decreased probability of electoral success.

While there are several methods of estimating local average treatment effects using RDDs, visual evidence of a discontinuity in plots of the forcing variable versus outcomes provide the strongest evidence of an effect (Imbens and Lemieux, 2008). Figs. 3 and 4 are plots of female primary vote margin vs. general election vote share. The first plot displays predictions from non-parametric local regressions using a triangular kernel and the second plot uses average vote share with 1% bins and a quadratic fit. Both provide no evidence that female candidates nominated by chance do worse in general elections. These findings are confirmed by estimates of $\beta_1$ presented in Table 2 using the Imbens and Kalyanaraman (2011) optimal bandwidth which minimizes mean-squared error.

Using probability of general election victory as an outcome produces similar results as can be seen in Fig. 5 above and also included in Table 2.

### 5. Are female candidates financially disadvantaged?

Evidence from the previous section suggests that female candidates nominated to run in the general election by chance do not suffer from voter bias. However, female candidates may still be at a disadvantage during the election process because of individuals or groups that hold discriminatory beliefs about females or their likelihood of electoral success (Crespin and Deitz, 2010; Sanbonmatsu, 2002). If this is true, we would expect female candidates who won the nomination by chance to have fewer resources available to them in the form of campaign contributions from individuals and political action committees. If we find that these female candidates were at a financial disadvantage during their campaign yet still managed to perform on par with men in the general election, this would provide support for Fulton’s (2012) claims that female candidates that win nomination by chance are of higher quality than male candidates but suffer from discrimination by contributors.

To assess whether female candidates are at a financial disadvantage during the course of their campaigns, I matched candidates from Bonica’s (2013) Database on Ideology, Money and Politics (DIME) to candidates used in the analysis and re-estimated $\beta_1$ from Equation (3) using contributions from individuals and contributions from political action committees as outcomes.

As seen in Fig. 6 and 7 and in Table 3 I find no evidence to suggest that female candidates that won nomination by chance received fewer contributions from individuals or from PACs.

### 6. RDD assumptions

Regression discontinuity designs are generally considered the “gold-standard” among observational studies because they offer the ability to estimate causal treatment effects with few assumptions. Problems with RDDs arise when agents with values of the forcing variable near the cutpoint are able to manipulate selection into treatment (Lee, 2008). Caughey and Sekhon (2011) demonstrated that, in close House elections, incumbents appear to be able

---

**Table 2**


<table>
<thead>
<tr>
<th>Variables</th>
<th>(1) Vote share</th>
<th></th>
<th>(2) Victory</th>
<th></th>
<th>(3) Vote share</th>
<th></th>
<th>(4) Victory</th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td>Female Candidate (LATE)</td>
<td>0.001</td>
<td></td>
<td>–0.196</td>
<td></td>
<td>*</td>
<td></td>
<td>*</td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.053)</td>
<td></td>
<td>(0.255)</td>
<td></td>
<td>*</td>
<td></td>
<td>*</td>
<td></td>
</tr>
<tr>
<td>Female Candidate (LATE, Half-BW)</td>
<td>–0.061</td>
<td></td>
<td>–0.398</td>
<td></td>
<td>*</td>
<td></td>
<td>*</td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.070)</td>
<td></td>
<td>(0.360)</td>
<td></td>
<td>*</td>
<td></td>
<td>*</td>
<td></td>
</tr>
<tr>
<td>Female Candidate (LATE, Double-BW)</td>
<td>–0.001</td>
<td></td>
<td>0.096</td>
<td></td>
<td>*</td>
<td></td>
<td>*</td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.052)</td>
<td></td>
<td>(0.198)</td>
<td></td>
<td>*</td>
<td></td>
<td>*</td>
<td></td>
</tr>
<tr>
<td>Female Candidate (LATE, Bias Corrected, Robust)</td>
<td>*</td>
<td></td>
<td>*</td>
<td></td>
<td>–0.271</td>
<td></td>
<td>–0.411</td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td>(0.229)</td>
<td></td>
<td>(0.557)</td>
<td></td>
</tr>
<tr>
<td>IK Bandwidth</td>
<td>0.059</td>
<td>0.036</td>
<td></td>
<td></td>
<td>0.048</td>
<td></td>
<td>0.036</td>
<td></td>
</tr>
<tr>
<td>Observations</td>
<td>49</td>
<td>49</td>
<td>45</td>
<td></td>
<td>35</td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Standard errors in parentheses.

***$p < 0.01$***, **$p < 0.05$**, *$p < 0.1$.*
to manipulate vote share in order to win reelection. As discussed above, close House primaries are very different from close general elections and thus should not automatically be dismissed as viable sources of data for use in regression discontinuity designs.

That being said, unique conceptual issues are present in this regression discontinuity design. These issues apply to similar designs in which individuals on either side of the cut-point are assumed to differ by only one trait, whether that trait be race, gender, ethnicity or ideological extremity. While it is intuitively conceivable that a female candidate can win a House primary contest over a male candidate by chance, evidence of discrimination against female candidates in the past makes the proposition that female and male candidates of the same party are similar except for their gender more difficult to accept.

6.1. Candidate quality

The most frequently cited distinction between similar male and female candidates is candidate quality, a factor which Fulton (2012) argues is rooted in gender discrimination. If stereotypes and biases inherent in the political process make it more difficult for women to run against, and beat, males in primaries, then female candidates that barely win against male candidates will presumably be of higher quality, on average, than their male counterparts. This explanation, however, does not square with the findings above. If females that won House primaries by chance against males were of higher quality, we would expect that this quality differential would be reflected in the amount and types of donations that these female candidates received. Overall, I find no evidence that female candidates received differing amounts of campaign donations from any source.

6.2. Candidate ideology

Another concern regarding differences between candidates is perceived candidate ideology. Biases and stereotypes among voters toward female candidates of either party might lead them to believe that they are ideologically distinct from male candidates in

### Table 3

Estimates of female candidacy on logged PAC and individual contributions at 3 bandwidths and robust nonparametric estimates using Calonico et al. (2014) estimation methods.

<table>
<thead>
<tr>
<th>Variables</th>
<th>(1) PACs</th>
<th>(1) Individuals</th>
<th>(2) PACs</th>
<th>(2) Individuals</th>
<th>(3) PACs</th>
<th>(3) Individuals</th>
<th>(4) PACs</th>
<th>(4) Individuals</th>
</tr>
</thead>
<tbody>
<tr>
<td>Female Candidate (LATE)</td>
<td>-1.146</td>
<td>-0.688</td>
<td>*</td>
<td>*</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>(1.590)</td>
<td>(0.988)</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Female Candidate (LATE, Half-BW)</td>
<td>-0.614</td>
<td>-1.098</td>
<td>*</td>
<td>*</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>(2.114)</td>
<td>(1.339)</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Female Candidate (LATE, Double-BW)</td>
<td>-0.724</td>
<td>-0.771</td>
<td>*</td>
<td>*</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>(1.195)</td>
<td>(0.979)</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Female Candidate (LATE, Bias Corrected, Robust)</td>
<td>*</td>
<td>*</td>
<td>-0.281</td>
<td>5.098</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>IK Bandwidth</td>
<td>0.029</td>
<td>0.055</td>
<td>0.027</td>
<td>0.049</td>
<td>45</td>
<td>46</td>
<td>26</td>
<td>43</td>
</tr>
</tbody>
</table>

Standard errors in parentheses.

**p < 0.01, *p < 0.05, *p < 0.1.**
similar districts. For example, we know from Hall (2014) that moderate candidates have an electoral advantage over extremist candidates. If female candidates that win nominations by chance are perceived as being more moderate than males, this ideological moderation should give female candidates a distinct electoral advantage over male candidates and might explain why we observe positive probabilities of female electoral success in the previous section.

To explore this possibility I identified “moderate” male and female candidates using Bonica’s (2013) cf-scores and re-estimated Equation (3) using this measure. Moderates were defined as having a cf-score between the 25th and 75th percentile of the cf-score distribution. Fig. 8 and point estimates in Table 4 clearly show that female candidates are not more likely than male candidates to be moderate. In addition to this, I explored whether candidate ideology differed as measured by the cf-scores themselves and find no difference as shown in Fig. 9.

Finally to address more general concerns about close House primaries, I conducted density tests of the running variable as recommended by McCrary (2008) for female primary vote share and explored covariate balance on a number of general election and primary covariates (see Appendix). Neither suggests that the RDD assumption of non-manipulation in close elections was violated for this subset of primaries.

7. Discussion

Do female candidates face an electoral or financial gender penalty when running in House of Representative general elections? Results from the analyses above seem to suggest that the answer to this question is “no.” Over the three decades of this study (1982–2012), there seems to be no evidence that female candidates nominated by chance faced disadvantages in terms of vote share or campaign funding. To the contrary, some results suggest that these female candidates had a slight electoral advantage.

A question that remains, however, is why the proportion of female candidates competing for House of Representative seats has held steady at around 20% despite substantial gains in female representation and the relative absence of a gender penalty. While there may be no single answer to this question, research exploring the career paths of female candidates and party recruitment practices may yield more insights into why gender disparities persist despite the incredible strides that female candidates have made over the past three decades.

Acknowledgements

I would like to thank Morris Levy, Matt Baum, Maya Sen, Ryan Sheely, Tarek Masoud, Sean Gailmard and Jasjeet Sekhon for their helpful comments and suggestions.

Appendix

Table 5

<table>
<thead>
<tr>
<th>Variables</th>
<th>(1)</th>
<th>(2)</th>
<th>(3)</th>
<th>(4)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Female Candidate (LATE)</td>
<td>0.001</td>
<td>–0.196</td>
<td>–1.146</td>
<td>–0.688</td>
</tr>
<tr>
<td></td>
<td>(0.053)</td>
<td>(0.255)</td>
<td>(1.590)</td>
<td>(0.988)</td>
</tr>
<tr>
<td>Female Candidate (LATE, Half-BW)</td>
<td>–0.061</td>
<td>–0.398</td>
<td>–0.614</td>
<td>–1.098</td>
</tr>
<tr>
<td></td>
<td>(0.070)</td>
<td>(0.360)</td>
<td>(2.114)</td>
<td>(1.339)</td>
</tr>
<tr>
<td>Female Candidate (LATE, Double-BW)</td>
<td>–0.001</td>
<td>0.096</td>
<td>–0.724</td>
<td>–0.771</td>
</tr>
<tr>
<td></td>
<td>(0.052)</td>
<td>(0.198)</td>
<td>(1.195)</td>
<td>(0.579)</td>
</tr>
<tr>
<td>Observations</td>
<td>49</td>
<td>49</td>
<td>45</td>
<td>46</td>
</tr>
<tr>
<td>Female Candidate (LATE, Bias Corrected, Robust)</td>
<td>–0.271</td>
<td>–0.411</td>
<td>–0.281</td>
<td>5.098</td>
</tr>
<tr>
<td></td>
<td>(0.229)</td>
<td>(0.557)</td>
<td>(2.790)</td>
<td>(7.565)</td>
</tr>
<tr>
<td>Observations</td>
<td>45</td>
<td>35</td>
<td>30</td>
<td>33</td>
</tr>
</tbody>
</table>

Standard errors in parentheses.

***p < 0.01, **p < 0.05, *p < 0.1.
References


Fig. 10. McCrary (2008) Density test showing no jump in density of the assignment variable (female primary vote margin).

Fig. 11. Balance on covariates for close primaries (2% vote margin).*
*Several covariates used in this analysis were from data made available by Caughey and Sekhon (2011).


Thistlethwaite, Donald L., Campbell, Donald T., 1960. Regression-discontinuity analysis: an alternative to the ex post facto experiment. J. Educ. Psychol. 51 (6), 309.